



Simulating Bionanotechnology at the Petascale

Jeffrey Comer

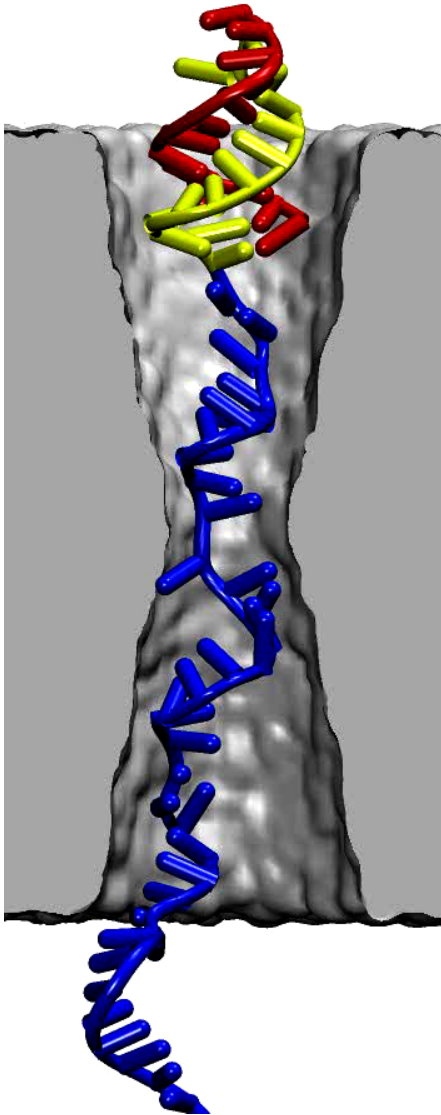
Post-doctoral Researcher

Aksimentiev Group

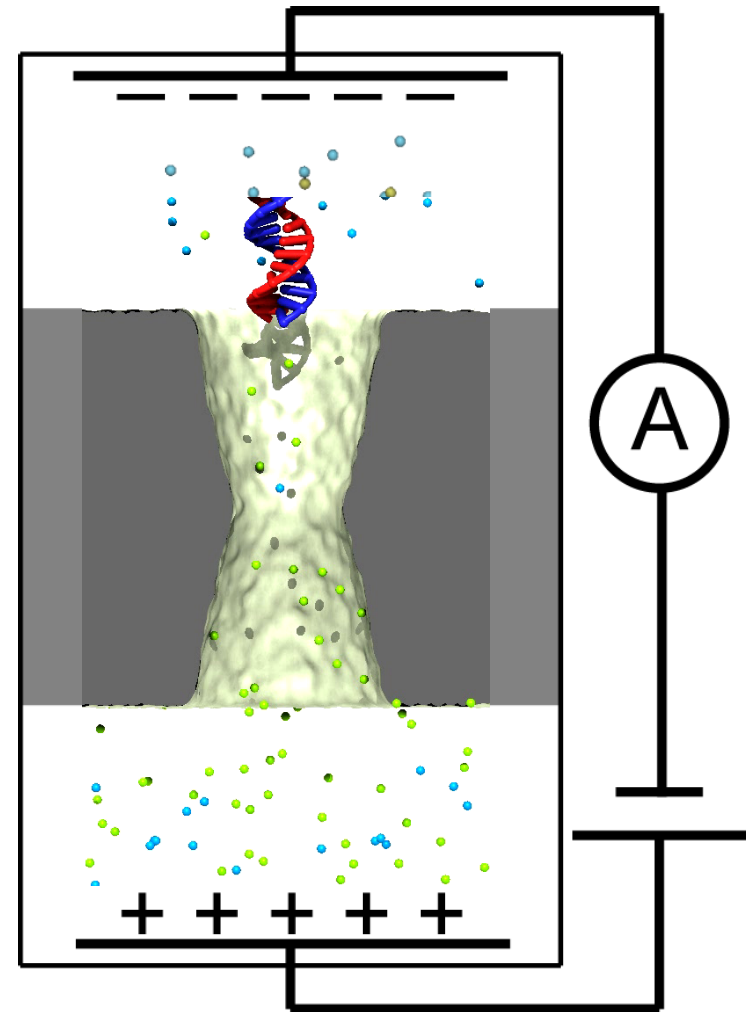
The University of Illinois at Urbana-Champaign

The Computational Microscope

“See” microscopic details



Develop nanopore DNA sequencing

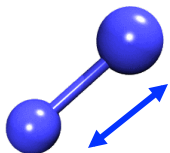
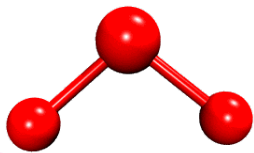


All-atom Molecular Dynamics Simulation

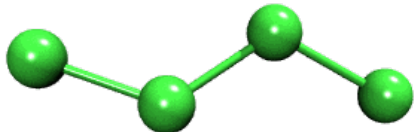
- Newton's second law integrated numerically

$$m_i \frac{d^2}{dt^2} \mathbf{r}_i(t) = -\nabla_i U(\mathbf{r}_1(t), \dots, \mathbf{r}_N(t))$$

- Simple algebraic form for every type of interaction
- Simulations performed with NAMD (Phillips et al., *J. Comp. Chem.* **26** (2005) 1781–1802.)

heuristic

$$U(\vec{R}) = \underbrace{\sum_{bonds} k_i^{bond} (r_i - r_0)^2}_{U_{bond}} + \underbrace{\sum_{angles} k_i^{angle} (\theta_i - \theta_0)^2}_{U_{angle}} +$$


$$\underbrace{\sum_{dihedrals} k_i^{dihe} [1 + \cos(n_i \phi_i + \delta_i)]}_{U_{dihedral}} +$$

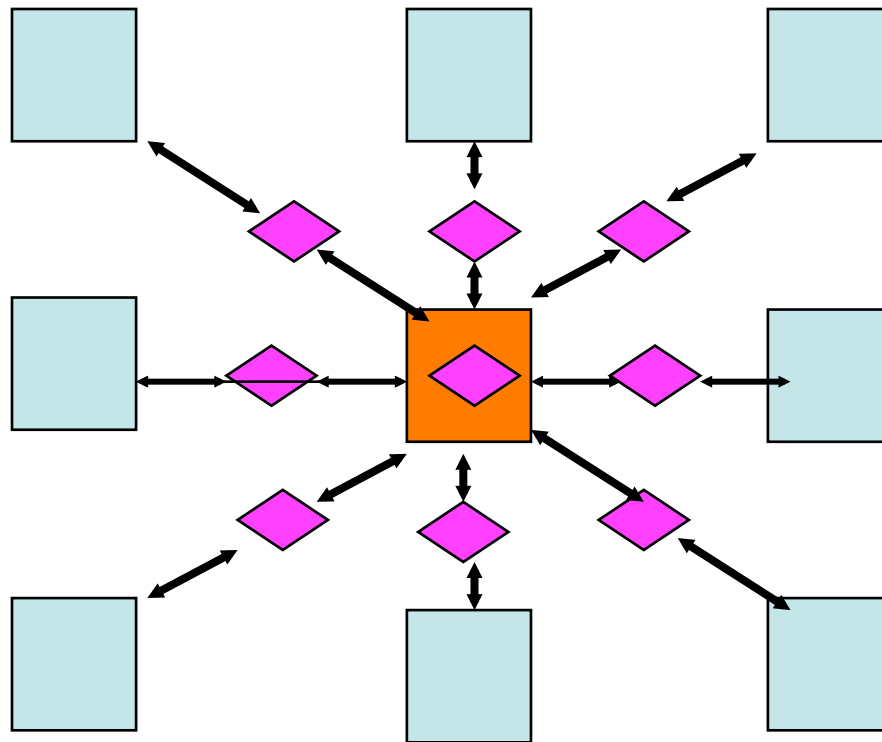
from physics

$$\underbrace{\sum_i \sum_{j \neq i} 4\epsilon_{ij} \left[\left(\frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left(\frac{\sigma_{ij}}{r_{ij}} \right)^6 \right]}_{U_{nonbond}} + \sum_i \sum_{j \neq i} \frac{q_i q_j}{\epsilon r_{ij}}$$

NAMD: Scalable MD

Kale *et al.*, *J. Comp. Phys.* **151** (1999) 283–312

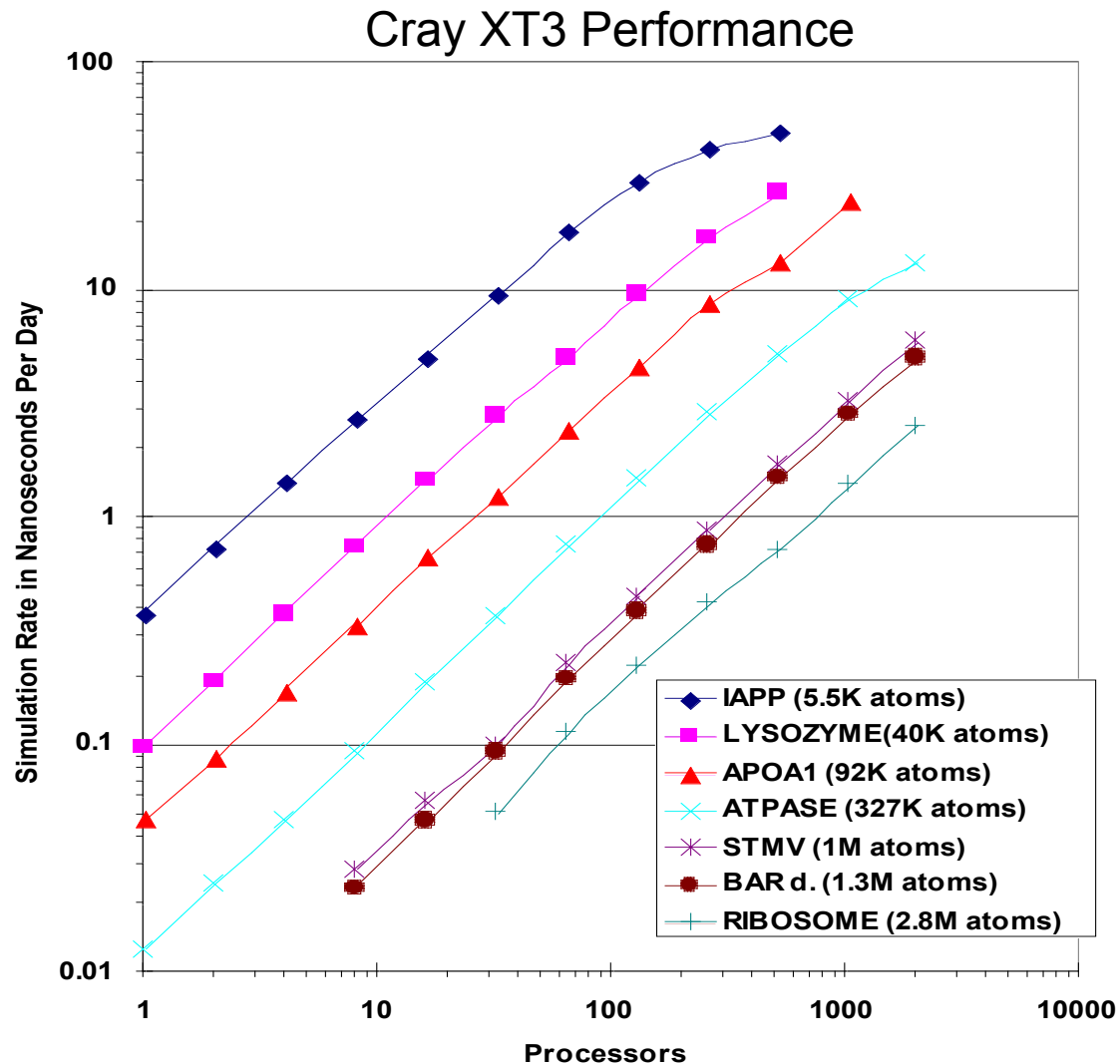
Charm++: object-oriented parallel system
(charm.cs.uiuc.edu/research/charm/)



- Spatially decompose data and communication
- Independent but related decomp. of force computation
- Charm++ parallel objects for iterative, measurement-based load balancing

Slide material courtesy of Jim Phillips (www.ks.uiuc.edu/namd)

NAMD Performance



- NAMD already scales to 10M atoms or thousands of processors
- Challenge: >100M atom systems and 300k processors
- IBM Blue Waters



Illinois Petascale Computing Facility

Slide material courtesy of Jim Phillips (www.ks.uiuc.edu/namd)

Challenges

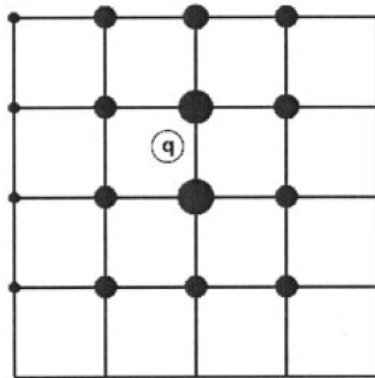
1. Long-range electrostatic interactions
2. Output Data!

Long-range Electrostatic Interactions

- Long-range electrostatic interactions (naively $O(N^2)$)

$$U_{\text{Coulomb}} = \sum_i \sum_{j>i} \frac{q_i q_j}{4\pi\epsilon_0 r_{ij}}$$

- Particle-Mesh Ewald (PME) method:
 - Split computation into real and Fourier space
 - Short-range computed explicitly
 - Long-range:



Charge distributed on discrete grid

Reciprocal sum computed using FFT

$$O(N \log N)$$

FFT communication overhead for large systems:

>10M atoms => 1024×1024×1024 grid

Switch to multilevel summation?

www.ideals.illinois.edu/handle/2142/11173

Output Data

- Write system configuration every 10 ps (5000 MD steps)
- 50–100 ns/day and 100M atoms => 1.2 TB per day
- Optimize parallel I/O

Too much data!

Storage space?

Download takes more time than simulation!

Solutions:

1. Write full system less often, skip some water
Need new file formats and analysis programs
2. Write less often: Perform some analysis on the fly
3. Identify interesting events like High Energy

Brownian Dynamics

Update Rule:

(Ermak and McCammon (1978) J. Chem. Phys. 69:4).

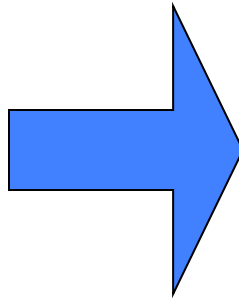
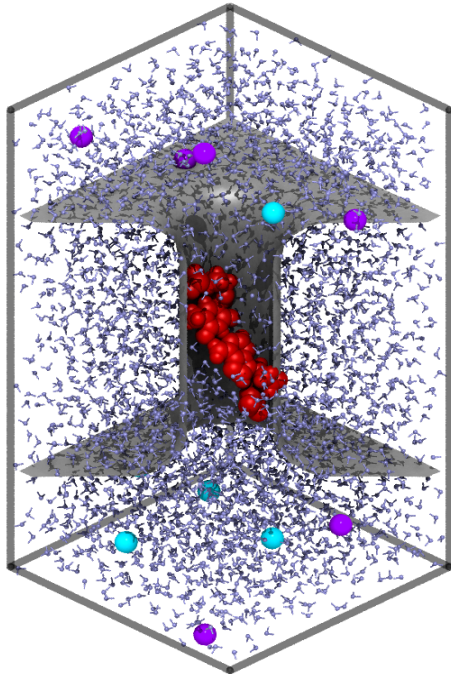
Ion Diffusivity

$$\mathbf{r}_i(t + \Delta t) = \mathbf{r}_i(t) + \frac{D_i \Delta t}{k_B T} \nabla_i \underbrace{W(\mathbf{r}_1(t), \mathbf{r}_2(t), \dots)}_{\text{Potential of Mean Force}} + \underbrace{\sqrt{2D_i \Delta t} \mathbf{R}(t)}_{\text{Stochastic Motion}}$$

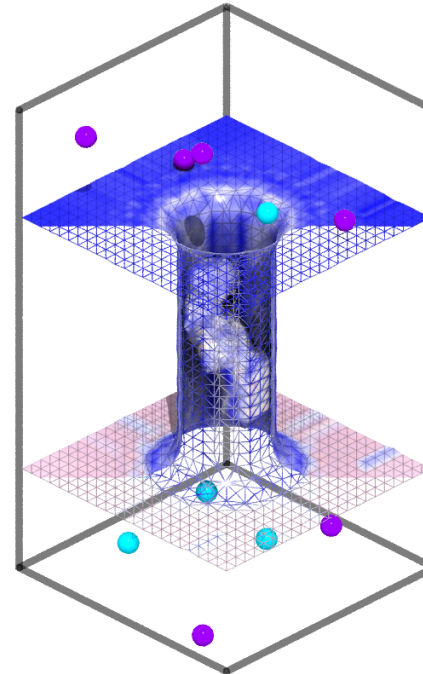
Potential of Mean Force

Stochastic Motion

All-atom MD Model



Coarser BD Model



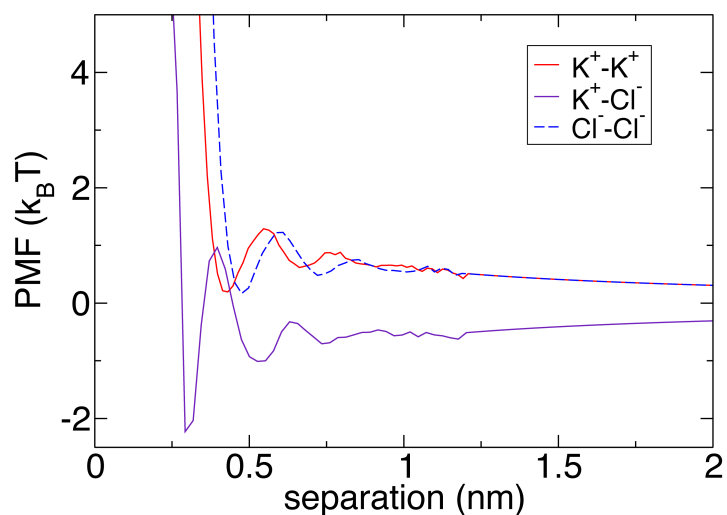
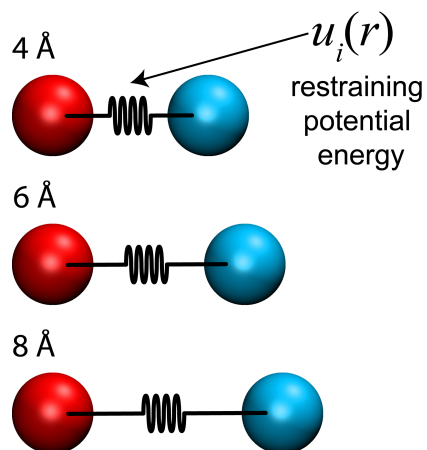
Reduced
Degrees
of Freedom

Extracting BD Inputs from MD

$$W(\mathbf{r}_1, \mathbf{r}_2, \dots) = \sum_{i,j} W_{ij}^{\text{ion-ion}}(|\mathbf{r}_i - \mathbf{r}_j|) + \sum_i W_i^{\text{map}}(\mathbf{r}_i)$$

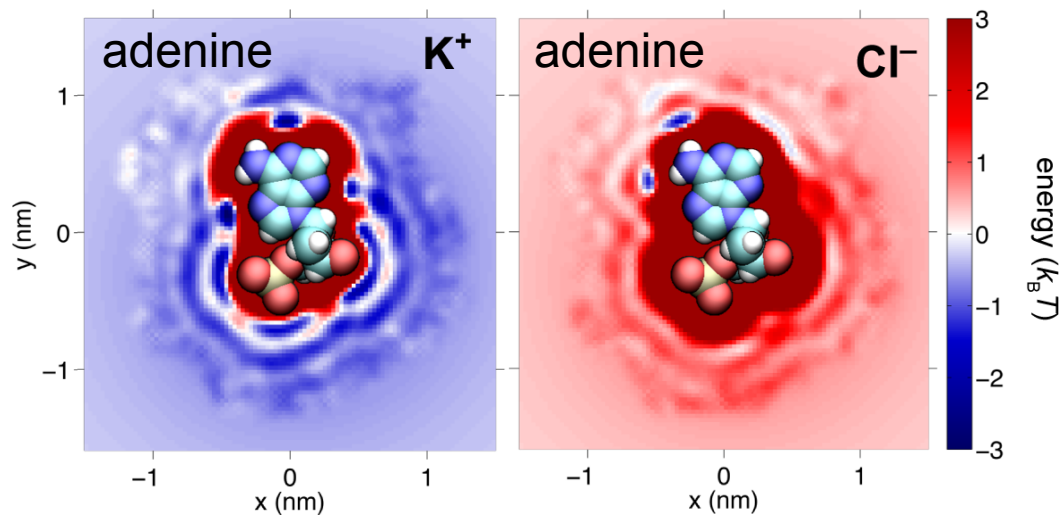
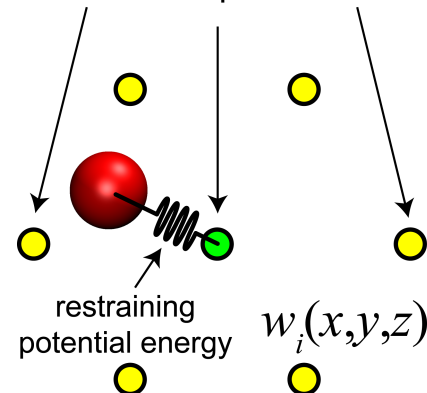
T
ior

Ion-Ion PMF

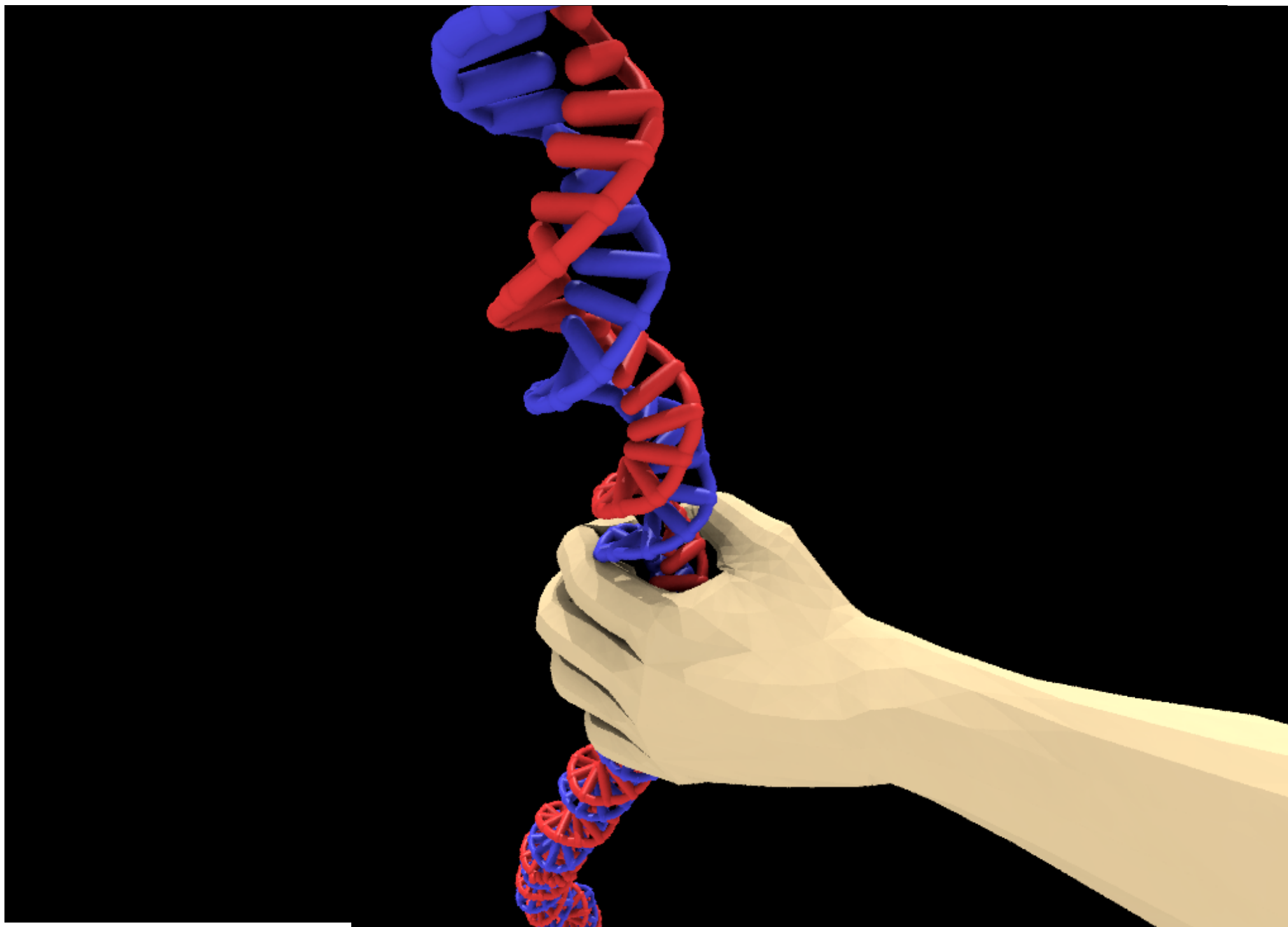


3D Nucleotide-Ion PMF

The ion is restrained to each lattice point in turn.







Molecular Dynamics and Parallel Computation

- Form of van der Waals forces permits truncation of potential

$$U_{\text{vdW}} = \sum_i \sum_{j>i} 4\epsilon_{ij} \left[\left(\frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left(\frac{\sigma_{ij}}{r_{ij}} \right)^6 \right]$$

Use PME:

- Truncation of Coulomb forces unrealistic

$$U_{\text{Coulomb}} = \sum_i \sum_{j>i} \frac{q_i q_j}{4\pi\epsilon_0 r_{ij}}$$

